

Quiz 6 (answers)  
ECNS 316 (Spring 2020)

\_\_\_\_\_Name

**1. a.) (10 points)** Recall the neighborhood crime model where the gross return from offending in neighborhood  $i$  is

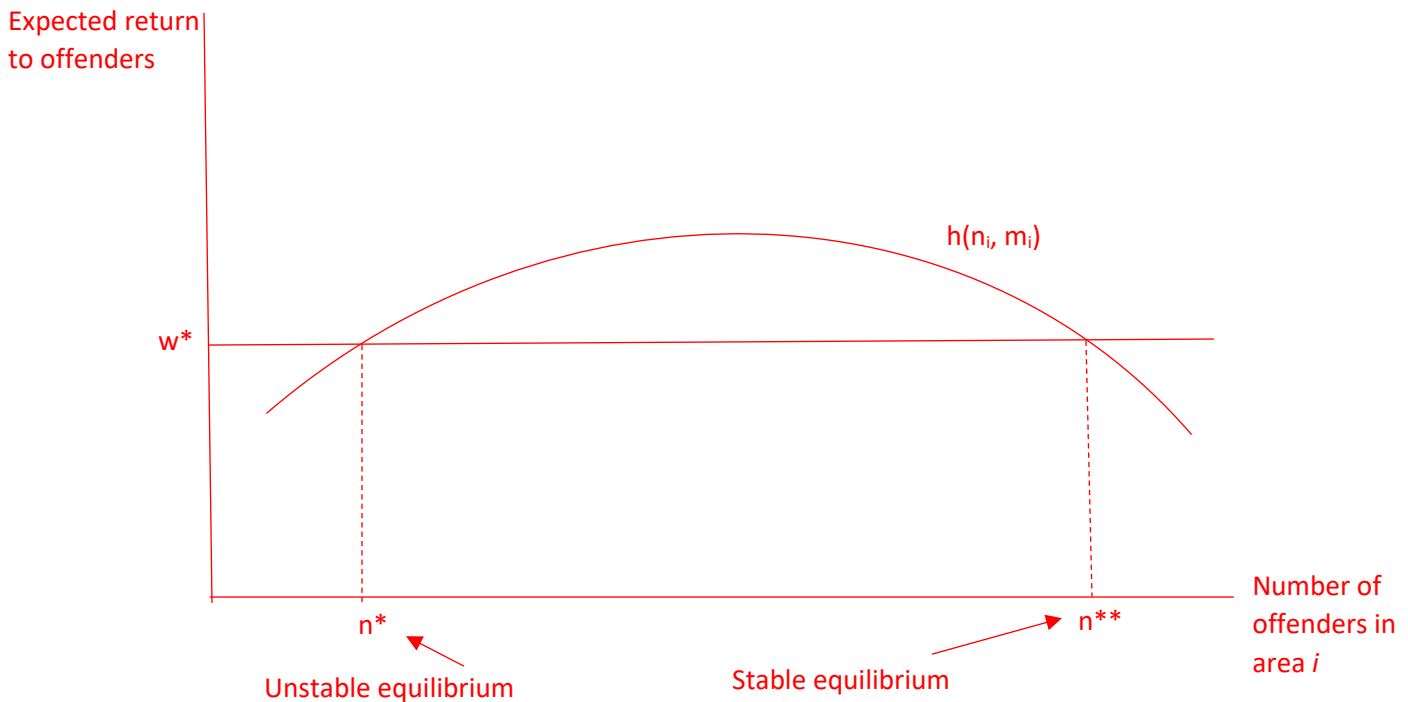
$$\pi_i = f(n_i),$$

where  $n_i$  is the number of offenders and  $f(\cdot)$  is strictly decreasing in  $n_i$ . Expected sanctions,

$$p_{ci} = g(n_i, m_i),$$

are also strictly decreasing in  $n_i$  due to the “schooling effect,” which lowers the probability of conviction as  $n$  rises. Police effort is given by  $m_i$ . An increase in effort is expected to shift the expected sanctions function upward by increasing the probability of conviction. Assume sanctions,  $s$ , are constant across neighborhoods. Lastly, the supply of offending depends only on the return net of expected sanctions to offending elsewhere (or on return to legal work) and is a constant denoted  $w^*$ .

Graphically illustrate the return-net-of-sanctions curve and the supply of offending. On this graph, indicate the equilibria. Make sure to label your graph correctly!



**b.) (5 points)** Suppose  $w^* < \pi_i - p_{ci}$ . What outcome do you expect over time? Be concise in your answer.

Offenders will enter area  $i$  up to the point where  $h = w^*$  at the stable equilibrium  $n^{**}$ .

**c.) (5 points)** Suppose  $w^* > \pi_i - p_{ci}$ . What outcome do you expect over time? What does your answer depend upon? Be concise in your answer.

If we are on the graph to the left of  $n^*$ , then offenders will leave the area until none are left.

If we start on the graph to the right of  $n^{**}$ , then offenders will leave the area until we reach  $n^{**}$ , the stable equilibrium.